

# MATHEMATICS

1. If  $E$  is any subset of a metric space  $M$  then \_\_\_\_\_.  
(A)  $\bar{E} \subset E$  (B)  $E \subset \bar{E}$   
(C)  $E \supset \bar{E}$  (D)  $\bar{E} \supset E$
2. If  $A$  and  $\phi$  are both open and closed in metric space  $\langle A, \rho \rangle$  then  $A$  is said to be \_\_\_\_\_.  
(A) complete (B) compact  
(C) connected (D) closed
3. If a subset  $A$  of the metric space  $\langle M, \rho \rangle$  is totally bounded then  $A$  is \_\_\_\_\_.  
(A) unbounded (B) bounded  
(C) continuous (D) closed
4. Metric space  $M$  is totally bounded if it has \_\_\_\_\_ of sets.  
(A) finite number (B) infinite number  
(C) countably infinite (D) None of the above
5. The union of an infinite number of closed sets is \_\_\_\_\_.  
(A) always open (B) always closed  
(C) need not be closed (D) None of the above
6. If  $A$  is a closed subset of a compact metric space  $\langle M, \rho \rangle$  then  $A$  is also \_\_\_\_\_.  
(A) complete (B) connected  
(C) compact (D) closed and connected
7. If the metric space  $M$  has a Heine-Borel property then  $M$  is \_\_\_\_\_.  
(A) complete (B) connected  
(C) compact (D) closed and connected
8.  $X$  is a metric space.  $Y$  is a closed subset of  $X$  such that the distance between at most any two points in  $Y$  is 1. Then —  
(A)  $Y$  is compact  
(B) any continuous function from  $Y \rightarrow R$  is bounded  
(C)  $Y$  is not an open subset of  $X$   
(D) None of the above